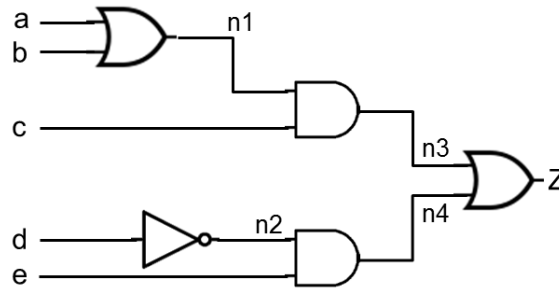


Homework Assignment 10

(Due Apr. 29th at the beginning of the class)

1. [Testing, **20 points**] Apply the ATPG algorithm to find an input vector that can detect a stuck-at-1 fault at n2 in the following figure.



1. $a = b = c = d = e = X$
2. Justify (n2, 0)
 - a. Set $n2=0$ (i.e., $d = 1$).
 - b. d is a PI, so return.
3. Propagate (n2, \bar{D})
 - a. Set $n2=\bar{D}$
 - b. $k = n4$
 - c. $c = 0$
 - d. $i = 0$
 - e. Justify (e, 1)
 - i. Set $e = 1$
 - ii. e is a PO, so return.
 - f. Propagate ($n4, \bar{D} \oplus 0$) = Propagate ($n4, \bar{D}$)
 - i. Set $n4=\bar{D}$
 - ii. $k = Z$
 - iii. $c = 1$
 - iv. $i = 0$
 - v. Justify (n3, 0)
 1. Set $n3=0$.
 2. $c = 0$
 3. $i = 0$
 4. $inval=0$
 5. $inval \neq 1$, so Justify (n1, 0) or Justify (c, 0). I'll choose the latter.
 6. Justify (c, 0) sets c to 0 and returns. $c = 0$.
 - vi. Propagate ($Z, \bar{D} \oplus 0$) = Propagate (Z, \bar{D})
 1. Set $Z = \bar{D}$

2. Z is a PO, so return.

Thus, $(abcde) = (\mathbf{XX011})$ detects the fault.

Notice that if we choose to run Justify $(n1, 0)$ instead of Justify $(c, 0)$, $n1=0$, $c=1$, $i=0$, $inval=0$, $inval=\bar{c}$, so we call Justify $(a, 0)$ and Justify $(b, 0)$, which set a and b to 0. In this case, we obtain $(abcde) = (\mathbf{00X11})$.

If we solve it by $Z \oplus Z_f$, we obtain both.