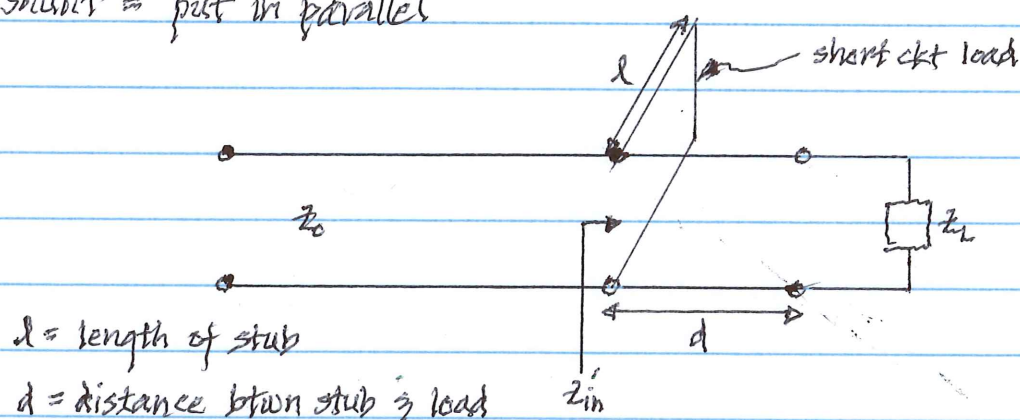


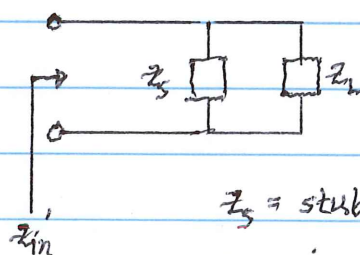
shunt stub tuning - single stub w/ short ckt load

γ_4 transformer used to match real load to line, e.g., 33Ω
 stub tuner used to match complex load to line, e.g., $27 + j30\Omega$

shunt = put in parallel



|||



Z_s = stub impedance

Z_L = imped of load & line

goal is to find d & l . (note: opposite of book def'n's)
 recall

$$Y_0 = Z_0 / Z_L = 1$$

dropping prime:

$$Z_{in} = Y_0 = 1 \quad \text{want this}$$

recal for parallel imped's:

$$z_{in} = \frac{1}{\frac{1}{z_s} + \frac{1}{z_d}} = \frac{z_s z_d}{z_s + z_d} \quad \text{yes!}$$

too hard to find $z_{in} = z_0$

consider

$$Y_{in} = Y_s + Y_d \quad \text{yes! just add}$$

= admittance $Y_s \neq Y_d$

aside:

$$y = \frac{1}{z} = g + jb$$

= normalized admittance

where: g = normalized conductance { }

b = " susceptance { }

$$\rightarrow Y = \frac{1}{z} = \frac{1}{z z_0} = \frac{y}{z_0}$$

on smith chart r circles become g circles $\frac{1}{x}$ circles become b circles

$$r \rightarrow g, x \rightarrow b$$

we want:

$$y_{in} = \frac{1}{z_{in}} = \frac{1}{1} = 1$$

but

$$y_{in} = y_s + y_d = 1$$

purely reactive { } jx

thus,

$$y_s = -jb$$

thus,

$$y_A = 1 + jb$$

choose d to make $y_A = 1 + jb$

" " " " $y_s = -jb$